

vanHelsing: A Fast Proof Checker for Debuggable Compiler Verification

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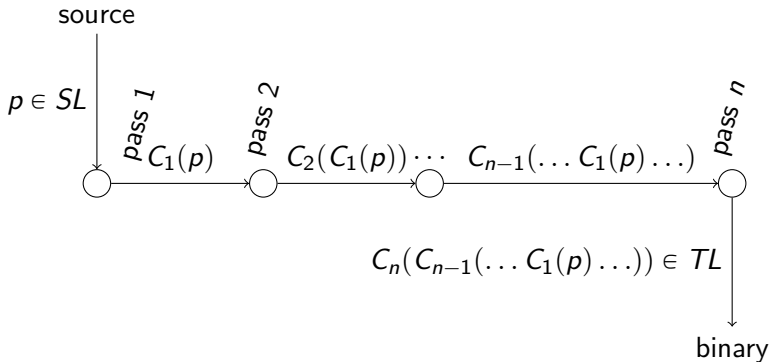
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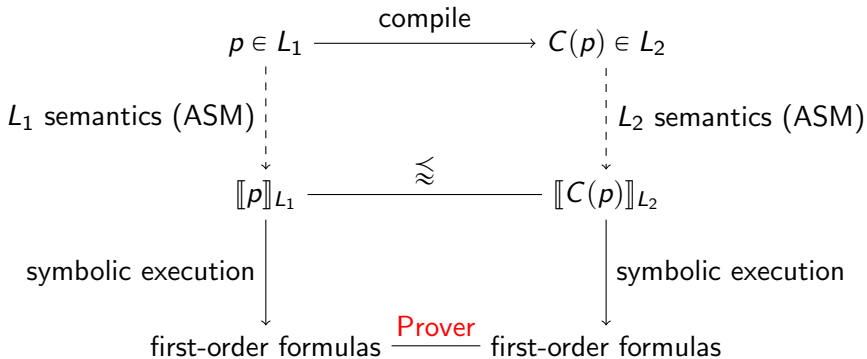
Overview

- 1 Motivation
- 2 vanHelsing
- 3 Evaluation

Used in Translation Validation Framework



Per Pass Simulation Proofs



Cf. *vanHelsing: A Fast Proof Checker for Debuggable Compiler Verification (SYNASC'15)* and *Scalable Translation Validation, Ph.D. thesis, Roland Lezuo 2014*

Requirements for Prover

- Evidence (traceable, constructive)
- Performance (prover dominates validation time)
- Debugging failed proofs (identify mis-compilation)
- Problem formulation (as-is, deal with it)

Comparison: Off-the-Shelf Provers

	Resolution based	SMT	vanHelsing
Evidence	$\sqrt{1}$		\checkmark
Debugging		$\sqrt{1}$	\checkmark
Performance	\emptyset	-	+

Debugging matters:

- Tool used by compiler experts
- Limited theorem proving knowledge
- Proofs are large, multiple thousands of formulas

¹problem formulation dependent

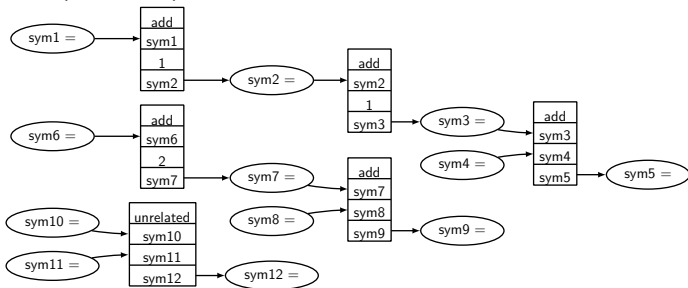
Special Proof Structure

- Data-Flow Equivalence Problem (DFE)
- expression equivalence problem
- Visualization as trees (GraphViz)

```
fof(id0, hypothesis, add(sym1, 1, sym2)).
fof(id1, hypothesis, add(sym2, 1, sym3)).
fof(id2, hypothesis, add(sym3, sym4, sym5)).
```

```
fof(id3, hypothesis, add(sym6, 2, sym7)).
fof(id4, hypothesis, add(sym7, sym8, sym9)).
```

```
fof(id5, hypothesis, unrelated(sym10,
                               sym11, sym12)).
```



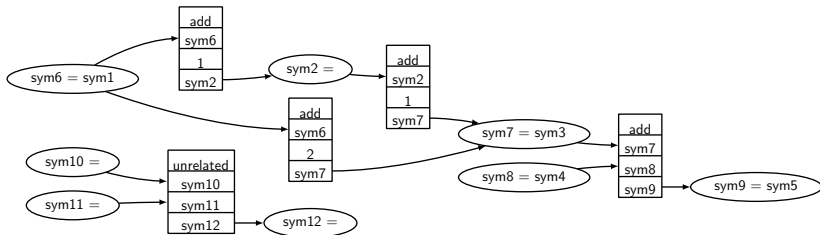
Unification by a Forward Chaining Strategy

Witness Information

```
fof(op1,hypothesis , sym1=sym6).
fof(op2,hypothesis , sym4=sym8).
fof(cj1,conjecture , sym5=sym9).
```

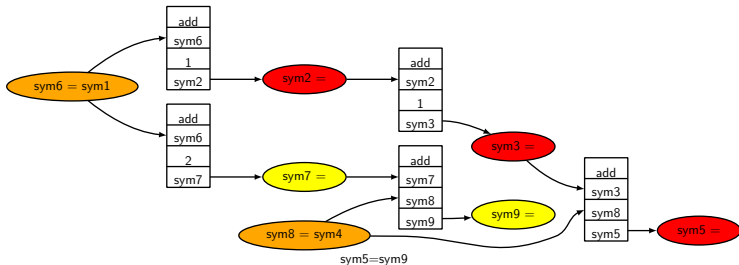
Axioms of Transformations

```
fof(ax1,axiom ,(add(A,B,X) & add(A,B,Y))
=> X=Y).
fof(ax2,axiom ,(add(A,1,B) & add(B,1,C)
& add(A,2,D)) => C=D)
```



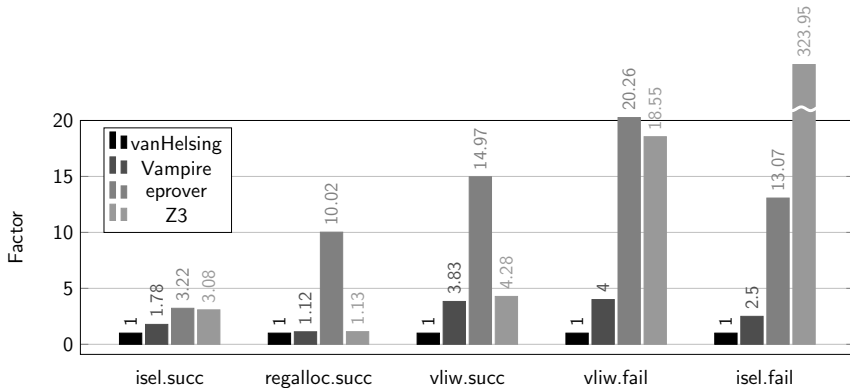
Debugging reduces Tree to relevant Subtrees

- start from pair of non-unified symbols of conjecture
- compute reachability (backwards)
- colorize nodes by membership of data-flows (i.e. left, right, both)



In practice reduces from thousands of formulas to a few dozen!

Performance



Conclusion

- fast (up to factor 3)
- small (4k LOC)
- visual debugging

Questions?

